Q.P. Code: 25528

Duration: 3 hours Total marks: 80

Note (1) Question No. 1 is compulsory

- (2) Attempt any three questions from remaining questions
- (3) Draw suitable diagrams wherever necessary
- (4) Assume suitable data, if necessary
- Q 1. (a) Find the CFG for the regular expression (10)*(110+01)*. (05)
 - (b) Write short note on Universal Turing Machine. (05)
 - (c) Difference between FA and PDA (05)
 - (d) Design moore machine to convert each occurrence of 111 to 101 (05)
- Q 2. (a) Construct NFA with epsilon which accept a language consisting the string of any (10) number of a's followed by any number of b's followed by any number of c's.

 Also convert it into NFA without epsilon.
 - (b) Design a Moore and Mealy machine for a binary input sequence such that if
 it has a substring 011 the machine outputs A if input has substring 001 it
 outputs B otherwise it outputs C.
- Q 3 (a) Minimize the following DFA where A is a start state and B, C and E are (10) final states.

∂ \ ∂ \ \ \ ∂	0	1
A A	D D	В
\mathbf{B}°	C	F
Č, Č	C	F
D	A	Е
E	C	F
F	F	F

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(b) Use pumping lemma prove that whether following language is regular or not (10)

$$(a^n b^n c^n | n > = 1)$$

Q 4 (a) Define context free grammer. Obtain the CFG for the following refular expression: (10)

$$(110 + 11)*(10)*$$

(b) Convert given CFG to GNF where $V=\{S,A\}$, $T=\{0,1\}$ and P is

(10)

$$S \rightarrow AA|0$$

 $A \rightarrow SS|1$

Q 5 (a) Design a PDA to accept a string of balanced parentheses. The parentheses

(10)

(b) Construct TM for L= $\{a^n b^n c^n \mid n \ge 1\}$

(10)

Q 6 Write short notes on (Any two)

(20)

- (a) Pumping Lemma for Regular Languages
- (b) Recursive and Recursively enumerable languages
- (c) Unsolvable Problems